1.

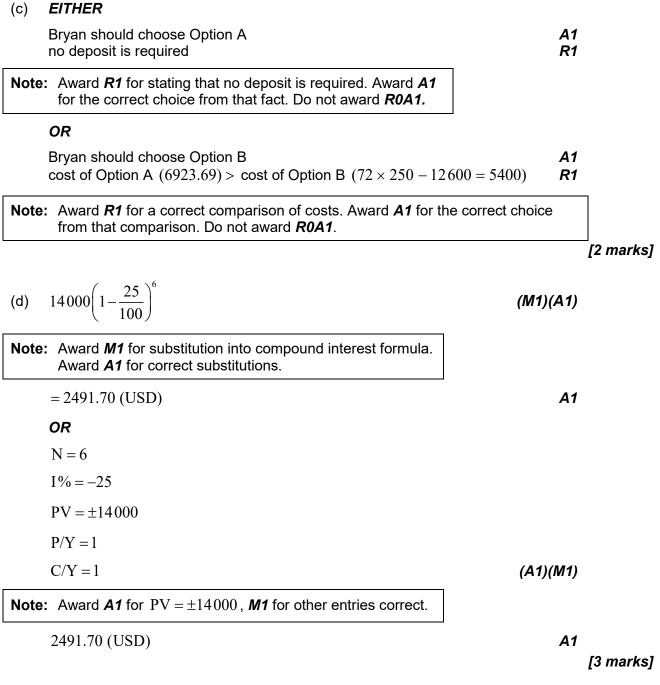
(a)	(i)	N = 24		
		I% = 14		
		PV = -14000		
		FV = 0		
		P/Y = 4		
		C/Y = 4	(M1)(A1)	
	Note	: Award <i>M1</i> for an attempt to use a financial app in their technolog award <i>A1</i> for all entries correct. Accept $PV = 14000$.	y ,	
		(€)871.82	A1	
	(ii)	$4 \times 6 \times 871.82$	(M1)	
		(€)20923.68	A1	
	(iii)	20923.68-14000	(M1)	
		(€)6923.68	A1	
				[7 marks]
(b)	(i)	$0.9 \times 14000 \ (= 14000 - 0.10 \times 14000)$	M1	
		(€)12600.00	A1	
	(ii)	N = 72		
		PV = 12600		
		PMT = -250		
		FV = 0		
		P/Y = 12		
		C/Y = 12	(M1)(A1)	
Note		ard M1 for an attempt to use a financial app in their technology, awa for all entries correct. Accept $PV = -12600$ provided $PMT = 250$.	ırd	
		12.56(%)	A1	

– 5 –

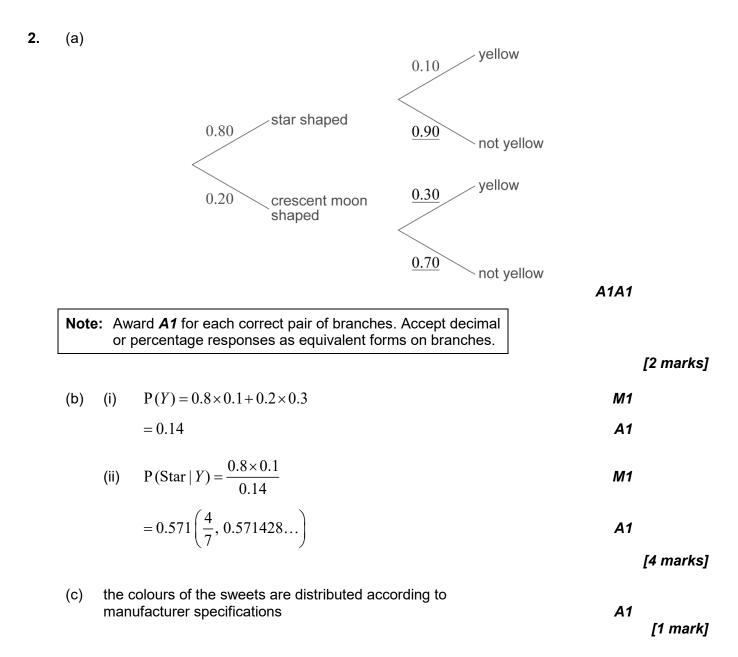
[5 marks]

continued...

Question 1 continued



Total [17 marks]



-7-

(d)

Colour	Brown	Red	Green	Orange	Yellow	Purple
Expected Frequency	12	20	16	16	8	8
						A

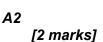
Note:	Award A2 for all 6 correct expected values,
	A1 for 4 or 5 correct values, A0 otherwise.

(e) 5

(f) 0.469 (0.4688117...)

[2 marks]

A1 [1 mark]



continued...

Question 2 continued

Note	fail to reject the null hypothesis. There is insufficient evidence to reject the manufacturer's specifications Award <i>R1</i> for a correct comparison of their correct <i>p</i> -value to the	A1
NOLE	test level, award $A1$ for the correct result from that comparison. Do not award $R0A1$.	
		[2 m

[2 marks]

Total [14 marks]

(a)	(i)	0.909 (0.909181)	A2	
	(ii)	(very) strong and positive	A1A1	
Note	e: Aw	vard A1 for (very) strong A1 for positive.		
				[4 mark
(b)	<i>y</i> =	1.14x + 0.578 (y = 1.14033x + 0.578183)	A1A1	
Note		ard A1 for 1.14 <i>x</i> , A1 for 0.578. Award a maximum of A1A0 ne answer is not an equation in the form $y = mx + c$.		
Note				[2 mark
Note			М1	[2 mark
	if tl	The answer is not an equation in the form $y = mx + c$.		[2 mark
	if tl	the answer is not an equation in the form $y = mx + c$. $1.14 \times 10 + 0.578$	М1	[2 mark
	if tl	the answer is not an equation in the form $y = mx + c$. $1.14 \times 10 + 0.578$ 12.0 (11.9814)	M1 A1	[2 mark
	if tl	the answer is not an equation in the form $y = mx + c$. $1.14 \times 10 + 0.578$ 12.0 (11.9814) no the estimate is not reliable	M1 A1 A1	[2 mark

[4 marks]

(d)

Competitors	А	В	С	D	Е	F	G	Н
Stan's rank	7	8	6	4	2	4	1	4
Minsun's rank	7	8	6	4.5	3	2	1	4.5
								A1A1

Note: Award A1 for correct ranks for Stan. Award A1 for correct ranks for Minsun.

				[2 marks]
(e)	(i)	0.933 (0.932673)	A2	
	(ii)	Stan and Minsun strongly agree on the ranking of competitors.	A1A1	
Note	e: Av	vard A1 for "strongly agree", A1 for reference to a rank order.		
				[4 marks]

(f) decreasing the score to 9.1, does not change the rank of competitor G

[1 mark]

Total [17 marks]

A1

• •	$2(8\times4+3\times4+3\times8)$	М1	
	$=136 (cm^2)$	A1	
			[2 marks]
(b)	$\sqrt{8^2+4^2+3^2}$	М1	
	$(AG =) 9.43 \text{ (cm)} (9.4339, \sqrt{89})$	A1	[2 marks]
(c)	-2x + 220 = 0	М1	
()	<i>x</i> = 110	A1	
	110 000 (boxes)	A1	[3 marks]
(d)	$P(x) = \int -2x + 220 \mathrm{d}x$	М1	
Note	e: Award <i>M1</i> for evidence of integration.		
	$P(x) = -x^2 + 220x + c$		
	F(x) = -x + 220x + c	A1A1	
Note	a : Award A1 for either $-x^2$ or $220x$ award A1 for both correct terms and constant of integration.	AIAI	
Note	e: Award A1 for either $-x^2$ or $220x$ award A1 for	M1	
Note	e: Award A1 for either $-x^2$ or $220x$ award A1 for both correct terms and constant of integration.		
Note	e: Award A1 for either $-x^2$ or $220x$ award A1 for both correct terms and constant of integration. $1700 = -(20)^2 + 220(20) + c$		
Note	e: Award A1 for either $-x^2$ or $220x$ award A1 for both correct terms and constant of integration. $1700 = -(20)^2 + 220(20) + c$ c = -2300	М1	[5 marks]
Note	e: Award A1 for either $-x^2$ or $220x$ award A1 for both correct terms and constant of integration. $1700 = -(20)^2 + 220(20) + c$ c = -2300	М1	[5 marks]
	e: Award A1 for either $-x^2$ or $220x$ award A1 for both correct terms and constant of integration. $1700 = -(20)^2 + 220(20) + c$ $c = -2300$ $P(x) = -x^2 + 220x - 2300$	M1 A1	[5 marks]
	e: Award A1 for either $-x^2$ or $220x$ award A1 for both correct terms and constant of integration. $1700 = -(20)^2 + 220(20) + c$ c = -2300 $P(x) = -x^2 + 220x - 2300$ $-x^2 + 220x - 2300 = 0$	M1 A1 M1	[5 marks]
(e)	e: Award A1 for either $-x^2$ or $220x$ award A1 for both correct terms and constant of integration. $1700 = -(20)^2 + 220(20) + c$ c = -2300 $P(x) = -x^2 + 220x - 2300$ $-x^2 + 220x - 2300 = 0$ x = 11.005	M1 A1 A1 A1 A1	[5 marks

– 10 –

Total [15 marks]





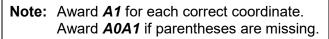
(a) (i)
$$p(10)^2 + q(10) = 60$$
 M1

$$10p + q = 6 (100p + 10q = 60)$$
 A1

(ii)
$$p = 1, q = -4$$
 A1A1

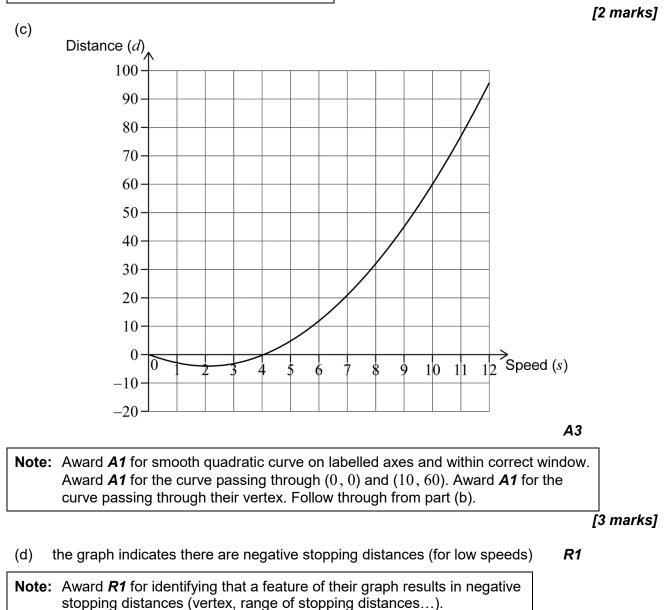
Note: If p and q are both incorrect then award **M1A0** for an attempt to solve simultaneous equations.

(b)
$$(2, -4)$$





[4 marks]



[1 mark]

continued...

Question 5 continued

(e)	$0.95 \times 20^2 - 3.92 \times 20$	(M1)	
	= 302(m) (301.6)	A1	
			[2 marks]
(f)	$\left \frac{301.6 - 320}{320}\right \times 100$	M1	
	= 5.75(%)	A1	
			[2 marks]
(g)	$330 = 1.6 \times s + 0.95 \times s^2 - 3.92 \times s$	M1A1	
Note	: Award <i>M1</i> for an attempt to find an expression including stopping distance (model B) and reaction distance, equated to 330. Award <i>A1</i> for a completely correct equation.		
	$19.9(ms^{-1})$ (19.8988)	A1	
			[3 marks]
		Total	[17 marks]